

オープンCAE勉強会(気泡塔計算)

大阪大学大学院基礎工学研究科

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Jet/plume flow

- S. A. Socolofsky, A. Leos-Urbel, E. E. Adams, “Draft Final Report: exploratory experiments with droplet plumes in a cross-flow”, Final Report: Experimental Study of Multi-phase Plumes with Application to Deep Ocean Oil Spills. U. S. Department of the Interior Mineral Management Service Contract No. 1435-01-98-CT-30964.

Socolofsky et al. (1999)

- Gas and oil plumes in a cross-flow

Property	Value
Oil flow rate [ml/min]	250, 600, 1000
Air flow rate [ml/min]	250, 600, 1000, 2500
Oil density [g/cc]	0.87
Cross-flow speed [m/s]	0, 2, 5, 10

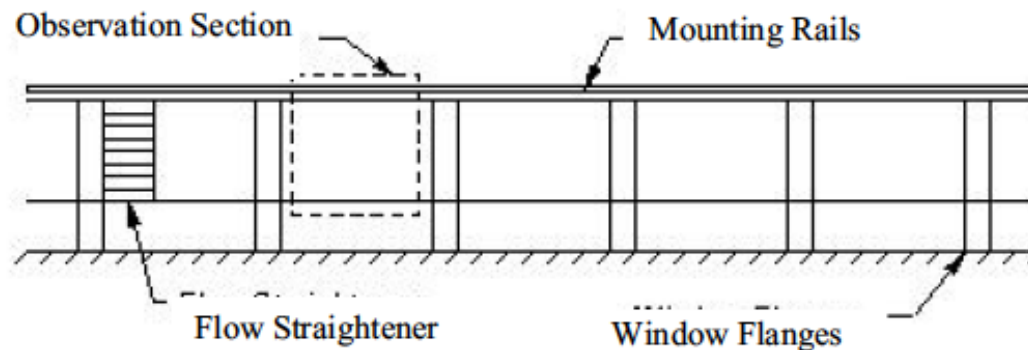


Figure 1: The experimental flume at Parsons Laboratory, MIT. Distance between successive flanges is 1.5 m.

Chen & Yapa (2004)

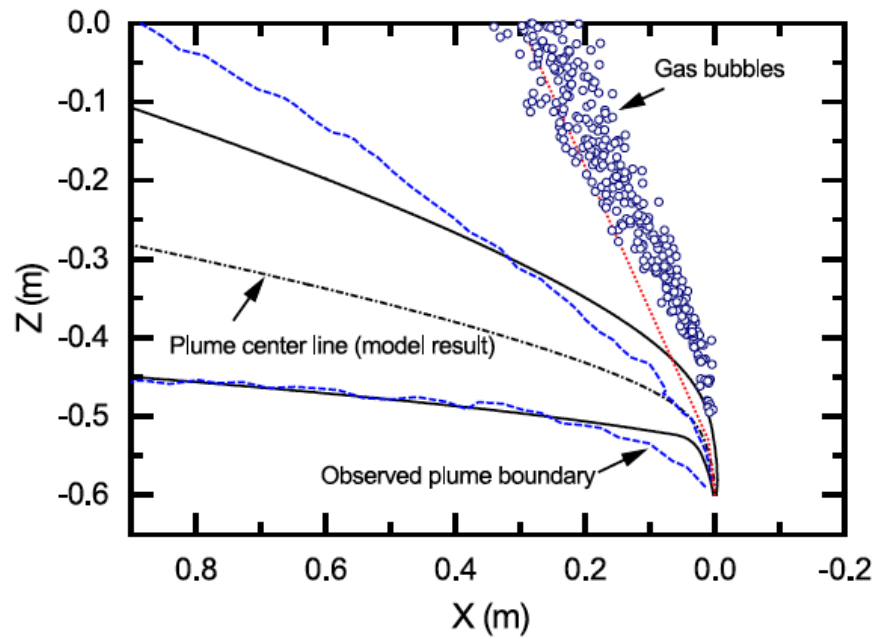


Fig. 2. Multi-phase plume in cross-flow for case S1: numerical simulation-present model; experimental data from Socolofsky et al. (1999).



Fig. 3. Video image for case S1 (experiment no. C15, Socolofsky et al., 1999).

Multiphase flow simulation in OpenFOAM

- Governing equations used in *bubbleFoam* solver
 - Continuity equations for each phase φ

$$\frac{\partial}{\partial t} (\alpha_\varphi \rho_\varphi) + \nabla \cdot (\alpha_\varphi \rho_\varphi \mathbf{U}_\varphi) = 0$$

- Phase momentum equation

$$\frac{\partial}{\partial t} (\alpha_\varphi \rho_\varphi \mathbf{U}_\varphi) + \nabla \cdot (\alpha_\varphi \rho_\varphi \mathbf{U}_\varphi \mathbf{U}_\varphi) + \nabla \cdot \alpha_\varphi \boldsymbol{\tau}_\varphi + \nabla \cdot (\alpha_\varphi \mathbf{R}_\varphi) = -\alpha_\varphi \nabla p + \alpha_\varphi \rho_\varphi \mathbf{g} + \mathbf{M}_\varphi$$

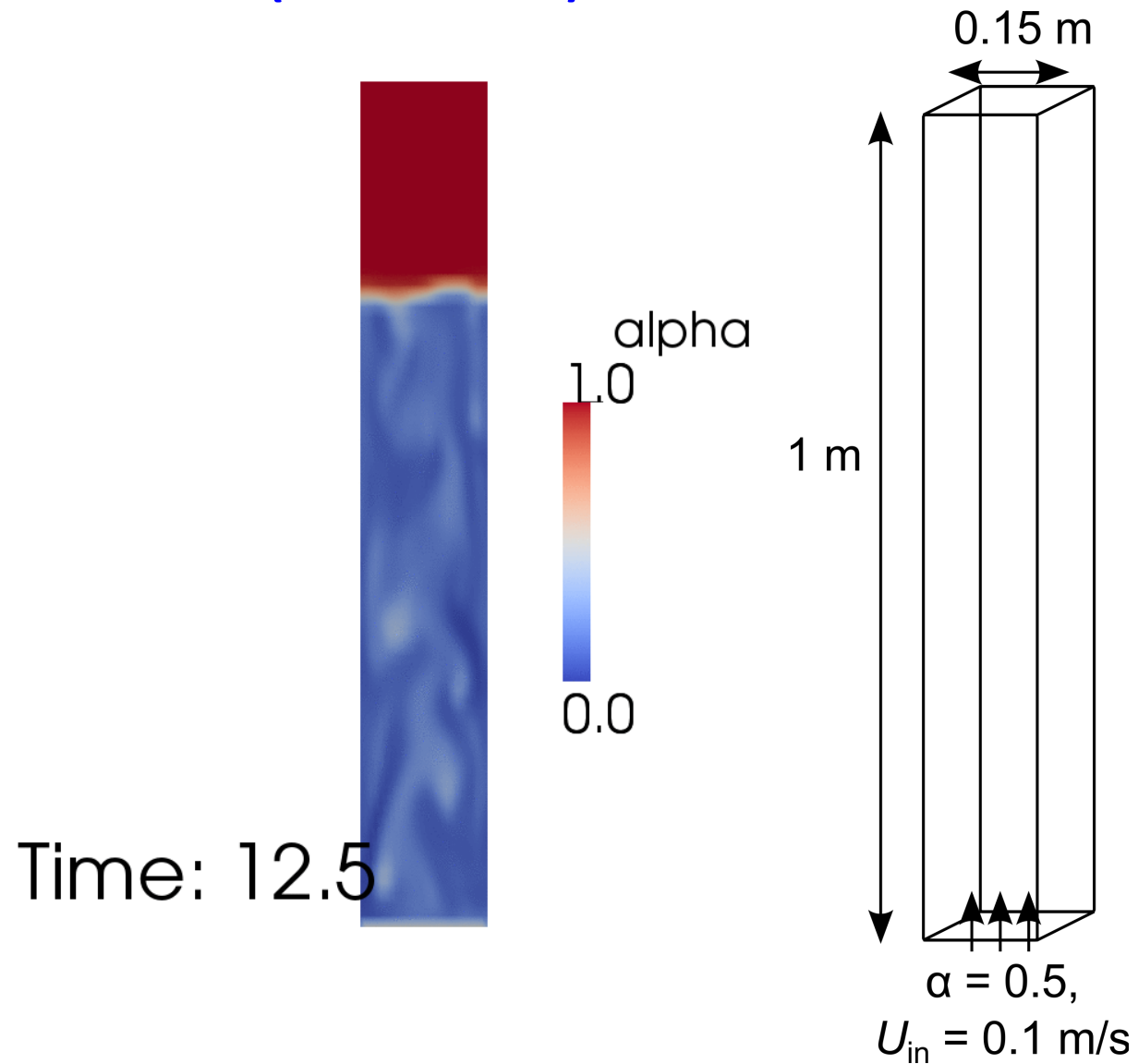
Laminar stress tensor

$$\boldsymbol{\tau}_\varphi = -\rho_\varphi \nu_\varphi [\nabla \mathbf{U}_\varphi + \nabla^T \mathbf{U}_\varphi] + \frac{2}{3} \rho_\varphi \nu_\varphi (\nabla \cdot \mathbf{U}_\varphi) \mathbf{I}$$

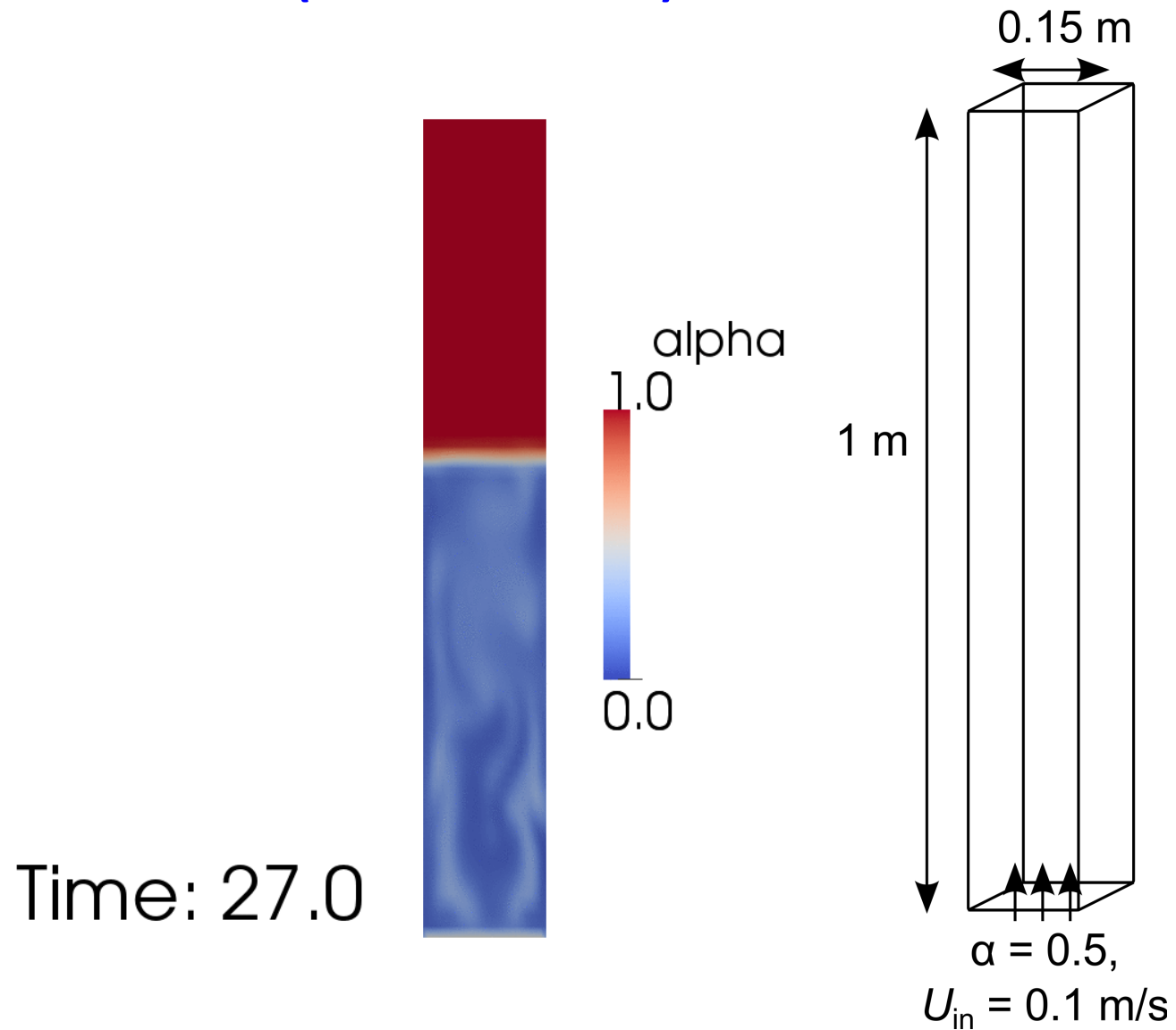
Reynolds stress tensor

$$\mathbf{R}_\varphi = -\rho_\varphi \nu_{\varphi,t} [\nabla \mathbf{U}_\varphi + \nabla^T \mathbf{U}_\varphi] + \frac{2}{3} \rho_\varphi \nu_{\varphi,t} (\nabla \cdot \mathbf{U}_\varphi) \mathbf{I} + \frac{2}{3} \rho_\varphi \kappa_\varphi \mathbf{I}$$

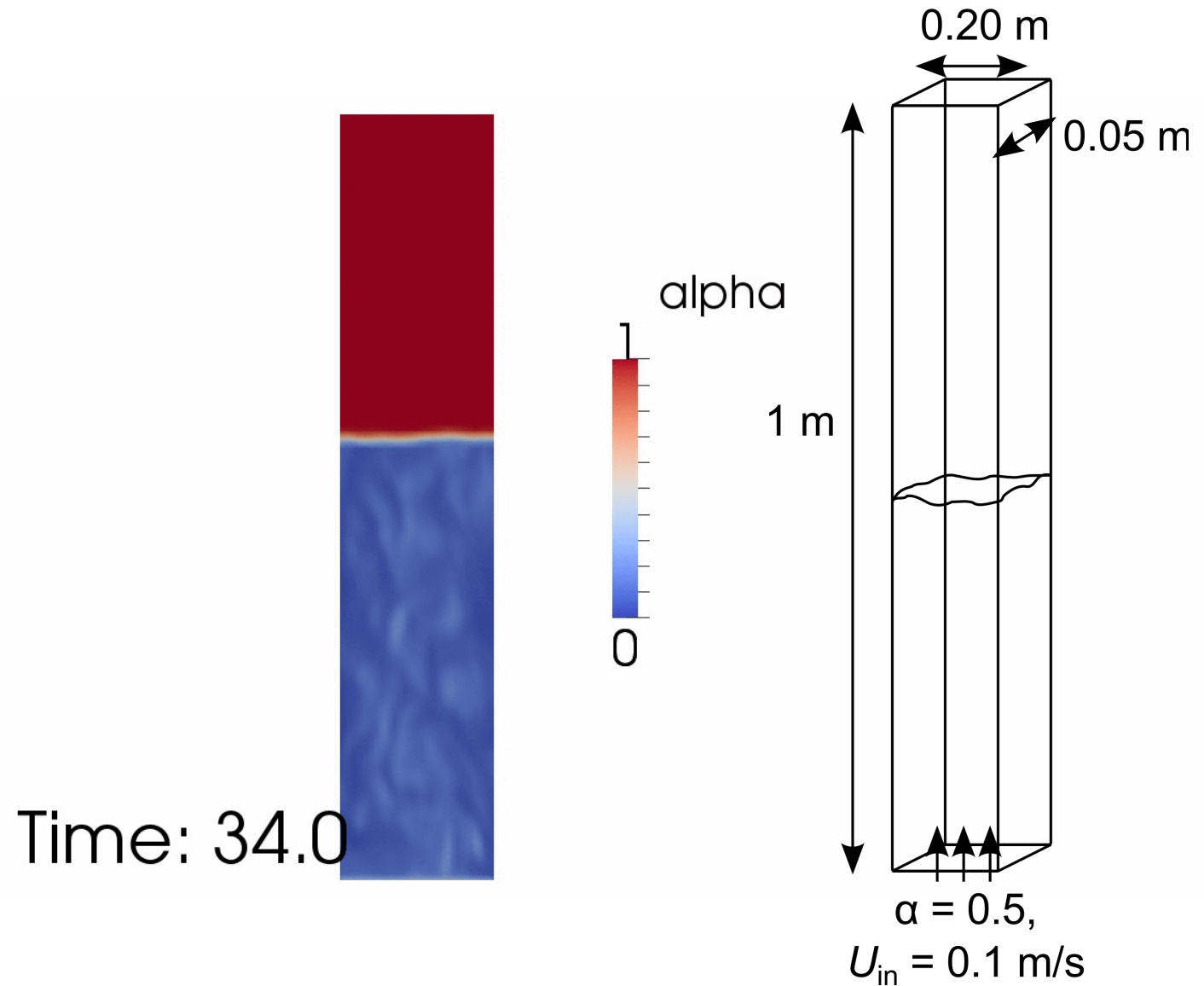
Sample simulation: 2D bubble column (tutorial)



Sample simulation: 2D bubble column (I.C.: $U = 0$)

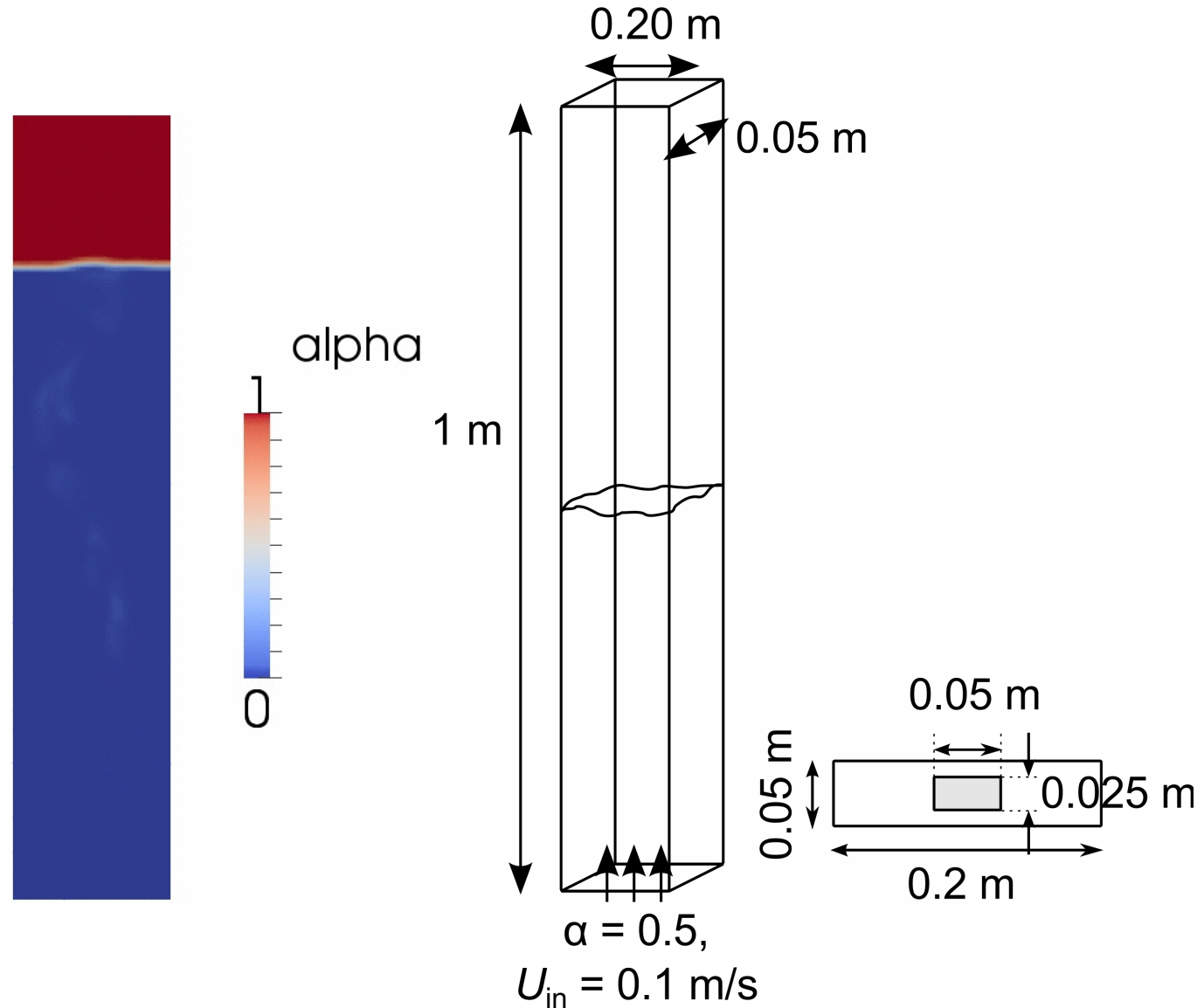


Sample simulation: 3D bubble column (I.C.: $U = 0$)



Sample simulation: 3D bubble column (wrong B.C., I.C.: $U = 0$)

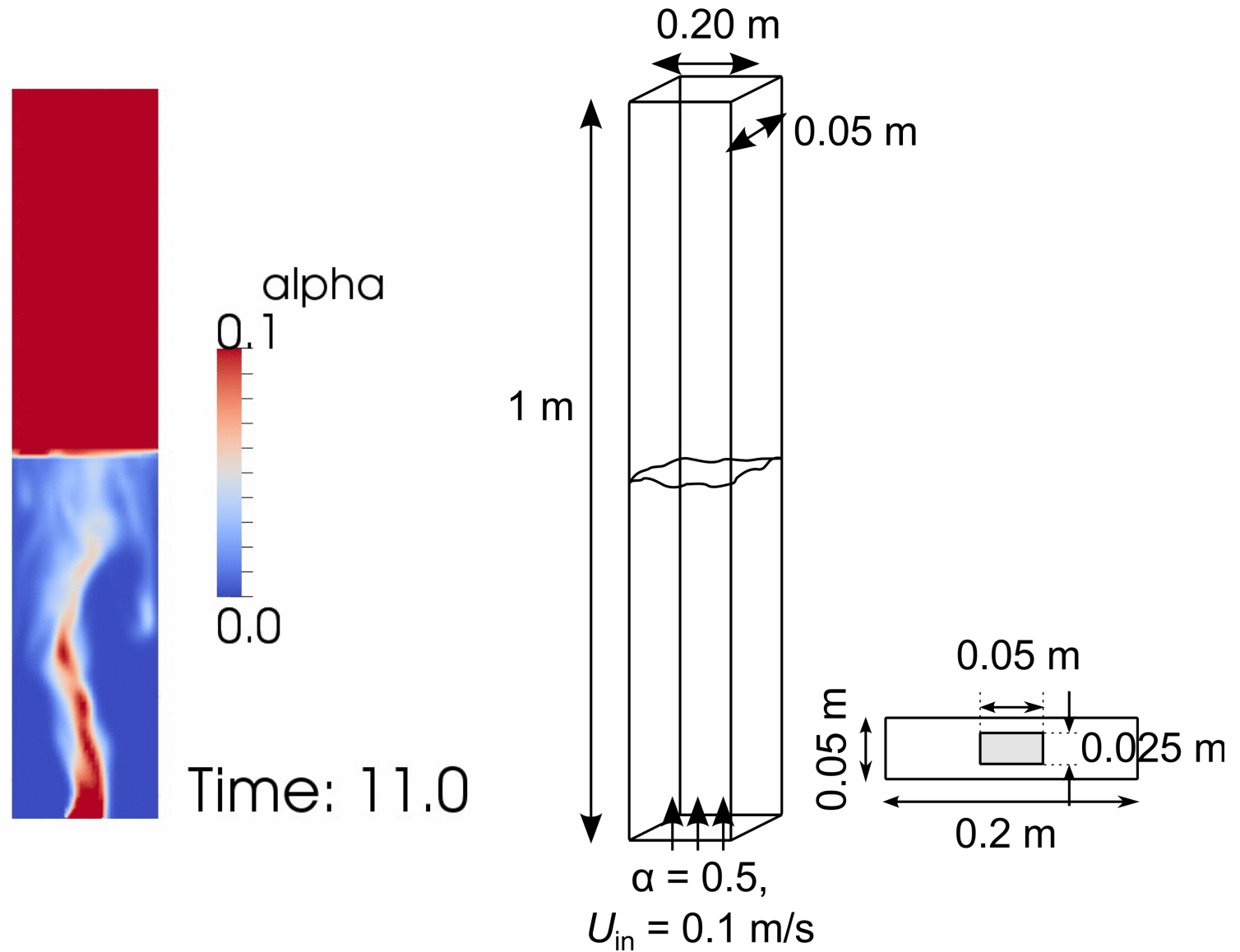
Time: 17.5



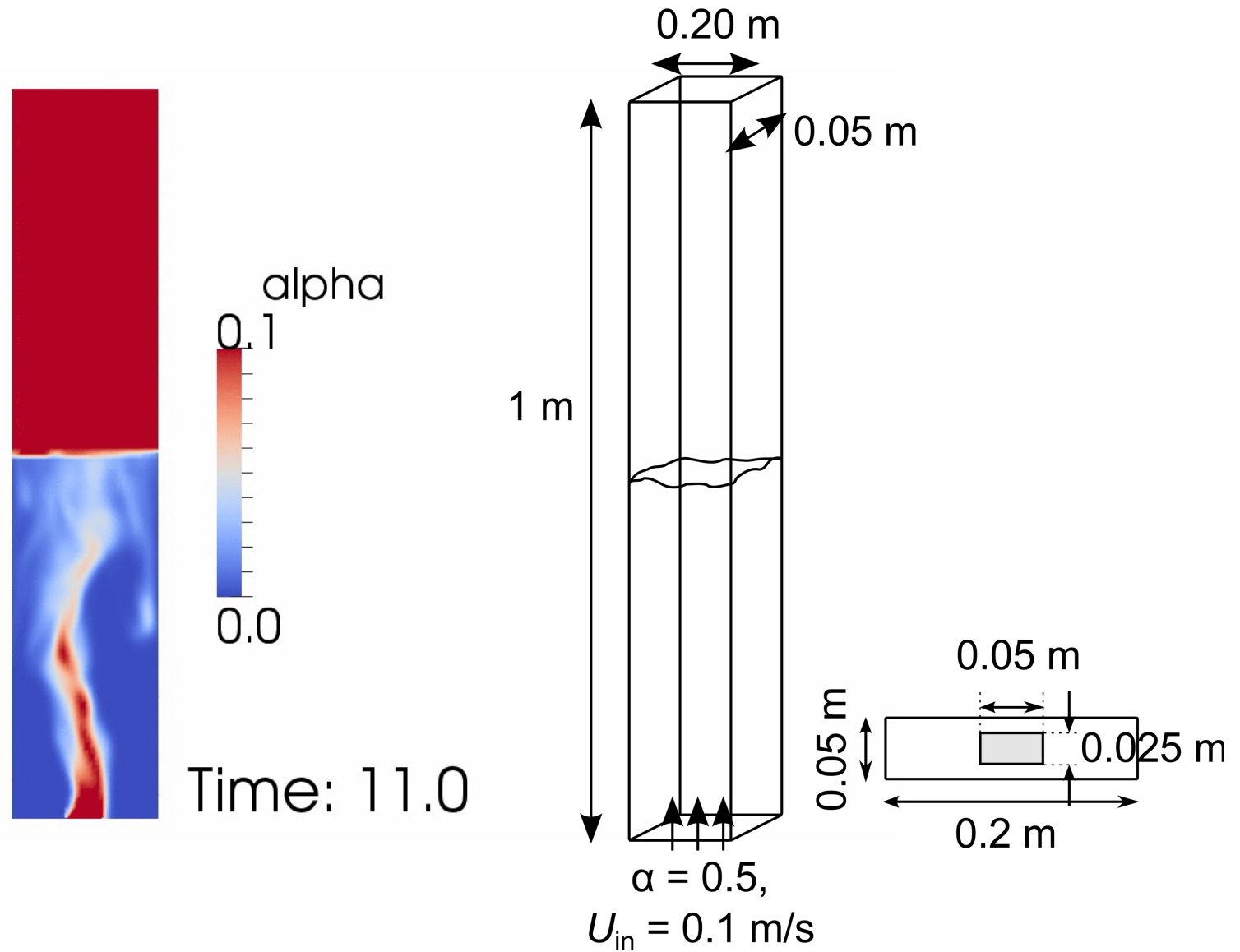
Improvements

- B.C. for pressure at inlet
 - “zeroGradient” to “fixedFluxPressure”
 - When “fixedFluxPressure” is used, the pressure gradient is adjusted by the predicted flux.
 - That is, the mass balance is conserved with the pressure gradient adjustment.

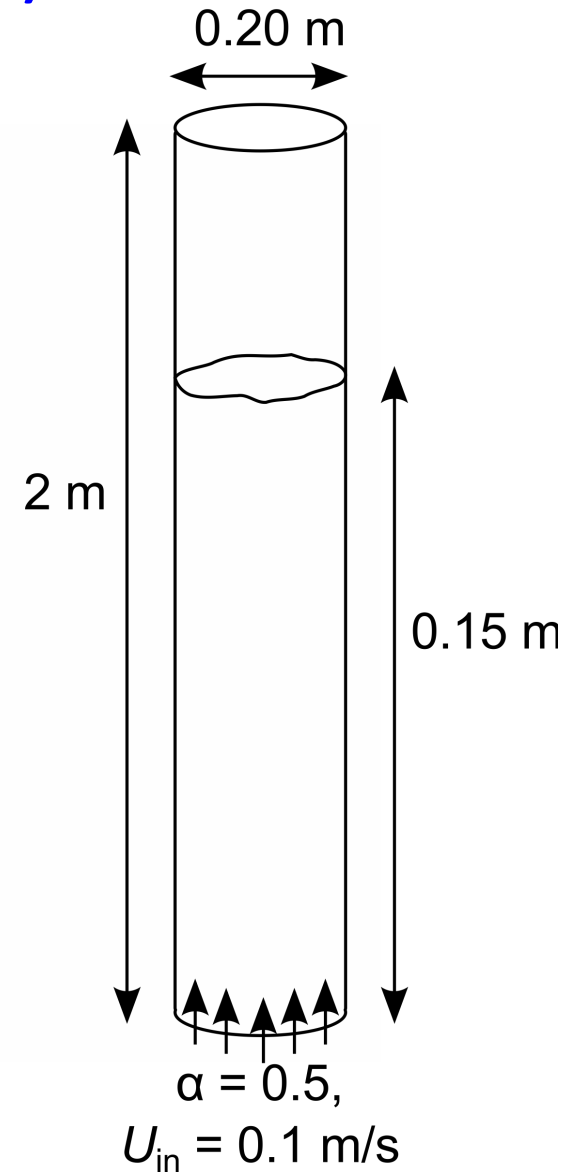
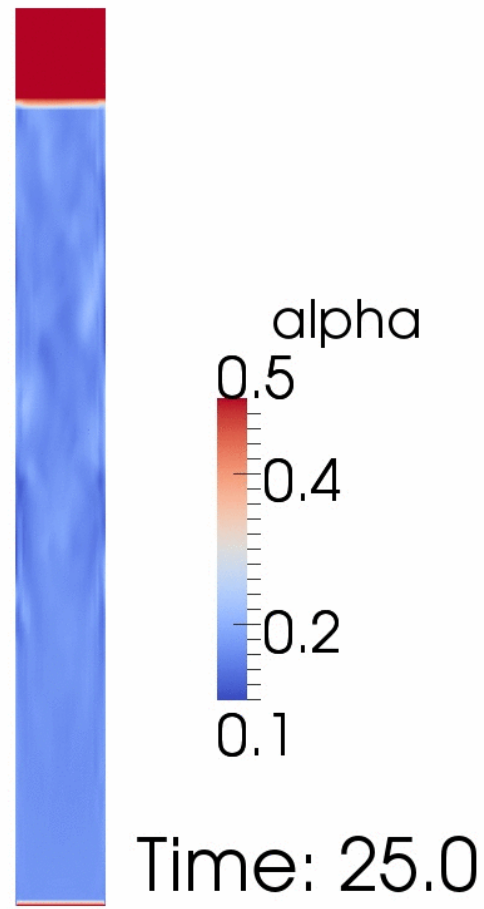
3D bubble column (correct b.c.) (I.C.: $U = 0$)



3D bubble column (correct b.c.) (I.C.: $U = 0$)



Cylinder bubble column (I.C.: $U = 0$)



Summary

- Proper b.c. was found, and bubble column simulations were successfully conducted.
- Future work
 - Validation with experimental data
 - Extension to the towing tank test case by Socolofsky et al.
 - Estimation of required grid resolution